REPEATED ACTIVE SCREENING OF NETWORKS FOR DISEASES

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AI FOR SOCIAL GOOD





INTRODUCTION

- Number of health problems Al can be utilized
- HIV, infectious diseases, nutrition, among others

- Curable infectious diseases
 - Tuberculosis 10M+ people affected in 2016 [WHO]
- Minimizing the number of infected individuals

INTRODUCTION – ACTIVE SCREENING

- Individuals may not be able to seek treatment themselves
 - Distance from clinic, failure to self diagnose etc.
- Often a matter of outreach and identification
 - Resource constraints e.g. I health worker / 500 people (India)
- Problem of Active Screening
 - Definition: Individuals sought out by health workers and treated
- Passive Screening: Individuals seek treatment voluntarily

INTRODUCTION – ACTIVE SCREENING



- Which nodes to act on first?
- Which nodes to act on next?

PROBLEM STATEMENT

ACTS Problem

Given –

- A known network of individuals (n)
- Infectious disease parameters
- Limited resources (k)
- Find An active screening policy

To maximize – Number of healthy individuals over time

STATUS QUO

Previous works generally do not consider:

- Multiple timesteps
- Uncertainty in health states
- Latent stages
- Lack of permanent immunity

As discussed: Hard to predict infected nodes In the field: Heuristics used – degree, high-risk societies

CONTRIBUTIONS

- I. ACTS Active Screening Model
 - POMDP-like model
- 2. TRACE Algorithm for ACTS
 - Synergy of 3 Key Ideas: Greedy, eigenvalue & community
 - Practically significant results of increase in healthy population

OVERVIEW

- I. Problem Modeling
 - SEIS Disease Model
 - Active Screening Model
- 2. TRACE Algorithm
 - Belief States & Attractiveness Score (FIRST KE
 - Dynamic Eigenvalue
 - Community Formation
- 3. Experiments

(FIRST KEY IDEA) (SECOND KEY IDEA) (THIRD KEY IDEA)

OVERVIEW

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SEIS COMPARTMENTAL DISEASE MODEL

Susceptible $(S) \xrightarrow{\alpha} Exposed (E)$ Exposed $(E) \xrightarrow{\beta} Infected (I)$ Infected $(I) \xrightarrow{c} Susceptible (S)$

- 3 states S (healthy), E (exposed, cannot infect others), I (infected)
- Note: c is the probability individuals voluntarily screen themselves
- Latent stage (E) + Lack of permanent immunity

ACTIVE SCREENING MODEL – [S], [A], T, O, Z, R

- *n* individuals \Leftrightarrow *n* nodes
- Each node's state S, E or I
- States not readily known by us (agents)
- Action: Screen (1) or not screen (0)
 - k (< n) individuals to be screened at each stage</p>



ACTIVE SCREENING MODEL – S, A, [T], O, Z, R

• Cyclic and unidirectional: $S \rightarrow E \rightarrow I$

Susceptible (S) $\xrightarrow{\alpha}$ Exposed (E) Exposed (E) $\xrightarrow{\beta}$ Infected (1) Infected (1) \xrightarrow{c} Susceptible (S)

- From Row state To Column state
- q(i): Number of infected neighbors of node *i*

 $T^{0} = \begin{bmatrix} s & E & I \\ q_{j} & 1 - q_{j} & 0 \\ 0 & 1 - \beta & \beta \\ I & c & 0 & 1 - c \end{bmatrix}, \quad T^{1} = \begin{bmatrix} s & E & I \\ q_{j} & 1 - q_{j} & 0 \\ 1 & 0 & 0 \\ 1 & 0 & 0 \end{bmatrix}$



ACTIVE SCREENING MODEL – S, A, [T], O, Z, R



ACTIVE SCREENING MODEL – S, A, T, [O], [Z], R

- Actual health state observed on screening (a=1)
- Else, no observation



ACTIVE SCREENING MODEL – S, A, T, O, Z, [R]

- +I for every healthy (S) individual
- In shown network, R = +6

 Objective: Maximize increase in number of disease-free half-years over no intervention





WHY NOT POMDP? - SCALABILITY



Figure: Runtime (s) v/s n

OVERVIEW

I. Problem Modeling

2. TRACE Algorithm

- Belief States & Attractiveness Score (FIRST KEY IDEA)
- Dynamic Eigenvalue
- Community Formation

(SECOND KEY IDEA) (THIRD KEY IDEA)

3. Experiments

TRACE ALGORITHM

- Generates an online POMDP policy
- Synergy of three approaches:
 - I. Community [Hendrickson and Leland, 1995]
 - 2. Beliefs (Greedy)
 - 3. Eigenvalues [Prakash et al., 2012]

HOW TO HANDLE UNKNOWN STATES?

Maintain beliefs

$$b_{i}^{t} = [b_{i,S}^{t}, b_{i,E}^{t}, b_{i,I}^{t}]$$

- Maintaining marginals good enough [Chakrabarti et al., 2008]
- Other representations prohibitively large
- Belief update rules similar to T matrices

HOW TO HANDLE UNKNOWN STATES?

- Maintain **beliefs** for EVERY node \rightarrow O(3 x n) space $b_i^t = [b_{i,S}^t, b_{i,E}^t, b_{i,I}^t]$
- Maintaining marginals good enough [Chakrabarti et al., 2008]
- Other representations prohibitively large

BELIEF STATES UPDATE

 $b_{i}^{t} = [b_{i,S}^{t}, b_{i,E}^{t}, b_{i,I}^{t}]$

- Belief update rules $(b_i^t \rightarrow b_i^{t+1})$ similar to T matrices
- Start with [0.33, 0.33, 0.33] belief for all
- Belief set to actual state for nodes screened in current timestep
 - E.g. Change to [1,0,0] on screening S node, [0,1,0] if E, [0,0,1] if I
- Update normally if not screened in current timestep

BELIEF STATES – EXAMPLE UPDATE (T=0 \rightarrow T=1)

If nodes with **light arrows** are screened (initially all beliefs are [0.33,0.33,0.33])



FIRST KEY IDEA

GREEDY

Attractiveness score for every node based on **beliefs**

$$R_i^t = \sigma b_{i,E}^t + b_{i,I}^t$$

- Simply screen based on higher score
- Possibly not optimal

GREEDY SELECTION



TOWARDS OPTIMALITY

EIGENVALUES

An epidemic dies out iff

$$rac{lpha}{c} < rac{1}{\lambda_{\mathcal{A}}^*}$$
 and $eta
eq 0$. [Prakash et al., 2012]

λ^{*}_A = largest eigenvalue of the adjacency matrix A of a graph
 High α and/or low c make the limit harder to achieve

SECOND KEY IDEA – DYNAMIC EIGEN

$$rac{lpha}{c} < rac{1}{\lambda_{\mathcal{A}}^*} ext{ and } eta
eq \mathbf{0} \; .$$

- "Remove" nodes such that λ_A^* decreases \rightarrow increases $1/\lambda_A^*$
- S nodes cannot infect neighbors → remove S nodes
- Our case: multiply each row by $(1 b_{i,S}^t)$
- Iteratively remove + check \rightarrow slow for large n

THIRD KEY IDEA – SPEEDING UP DYNAMIC EIGEN

COMMUNITIES

- Group nodes by attractiveness scores
- Coarsening [Hendrickson & Leland, 1995]
- Number of groups $\leq n \rightarrow$ DynamicEigen scales up

Can be proven for scale-free graphs:

number of groups =
$$O\left(\frac{1.5}{d}n\right)$$
 (d = average degree)

COMMUNITIES – GRAPH COARSENING



TRACE ALGORITHM – THREE STEPS

- I. Greedy approach: Belief information [Unknown health states]
- 2. Community-based approach: Grouping nodes [Speeds up next step]
- 3. Eigenvalue-based approach: Reducing spectral radius [Optimality]

None superior by itself! (7 observations in extended version)

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NETWORKS

I0 real-world networks in extended version (n = 75 to 16730)

- 3 in epiDAMIK submission (n = 202 to 1899)
 - I. India (n = 202, [Banerjee et al., 2013]): Collected from a rural Indian village
 - 2. Infectious Exhibition (n = 410, [Isella et al., 2011])
 - 3. Irvine (n = 1899, [Opsahl & Panzarasa, 2009])

SETUP

- $\alpha = 0.1 0.3, \beta = 0.25, c = 0.2 0.6$
- Each round = 6 months
- Total simulation = 10 years
- k = 5%, σ = 0.5
- Metric: Increase in number of disease-free half-years over no intervention

$$\sum_{t} |S|_{t,algo} - \sum_{t} |S|_{t,none}$$

RESULTS – VARYING PARAMETERS

- MB: Greedy
- DE: Just DynamicEigen without community
- Comm: 0-1 knapsack select without eigen





Figure: Performance by TRACE components (India network)

RESULTS – OVER TIME



KEY TAKEAWAYS

Hard problem – Multi-round + SEIS + unknown health states

Belief states to estimate the uncertain health status

✓ \downarrow **spectral radius** \Rightarrow \downarrow disease prevalence

Three approaches: Eigenvalue, community, greedy

✓ TRACE → practically significant results

FUTURE WORK

Addressing TB in India





Future: Complex disease models, birth and death, costs, network uncertainty

THANKYOU!

"TRACE: Algorithmic ACTS for Preventing the Spread of Recurrent Infectious Diseases on Networks"

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https://biswarupb.github.io/